

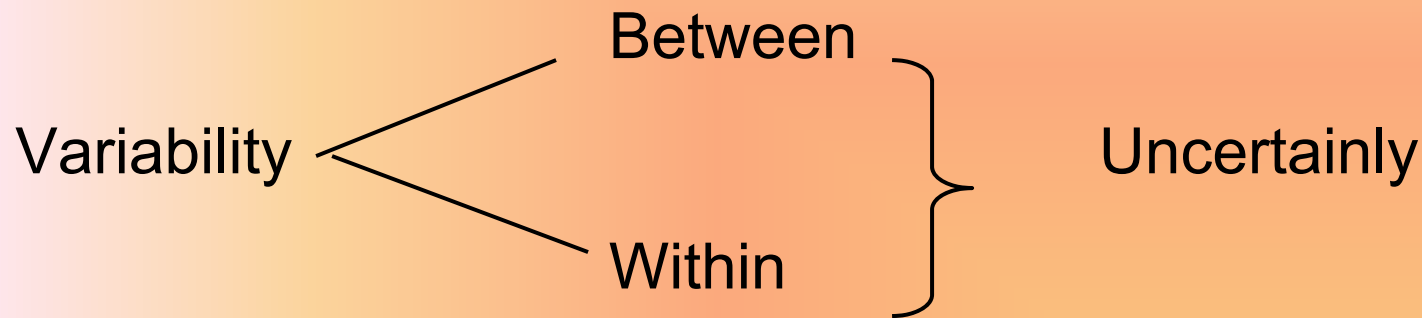


AN INTRODUCTION

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STATISTICS IN MEDICAL SCIENCES

Why? & What is Statistics / Biostatistics



" Statistics may be defined as "a body of methods for making wise decisions in the face of uncertainty." ~W.A. Wallis.

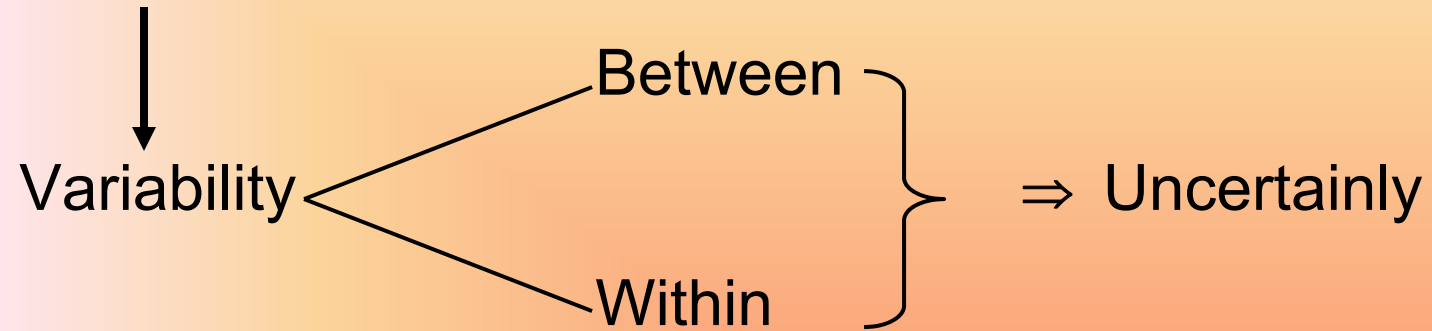
What is Statistics and Biostatistics/Medical Statistics

- *" Statistics may be defined as "a body of methods for making wise decisions in the face of uncertainty."*

~W.A. Wallis.

- *Statistics involve planning, designing, collecting, summarizing /reducing, analyzing, presenting, interpreting of data, and drawing inferences/ conclusions from data.*

Why? & What is Statistics / Biostatistics



STATISTICS IN MEDICAL SCIENCES

Uses in Epidemiology:

- Planning, designing and analysis of experiments / epidemiological studies and analyzing results.
- Studying natural history of diseases, occurrence and progression and finding causes / associated factors.
- To study morbidity, mortality and fertility patterns of community
- To determine met and unmet health needs of the community.
- To determine success / failure of specific health programmes and evaluating plan of action.

- Fixing priorities in adoption of future health measures.
- Remodelling and strengthening of health services.
- To assess impact of intervention programmes.
- To study hazards of different toxicants and studying dose – response relations.
- Model building for different diseases of public health importance.

Uses in Clinical Medicine:

- Decisions related to clinical diagnosis predicting likely outcomes of intervention programmes, selection of appropriate treatments.
- Classifying individuals as N & AN, Accuracy of diagnostic / surgical procedures, testing efficacy of drugs and vaccine

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STATISTICS helps in

- Quantification of the scientific facts
- Substantiating the findings in clinical research with magnitude and degree of precision.
- Comparability of the results
- Standardization of the results



ELEMENTARY STATISTICAL METHODS

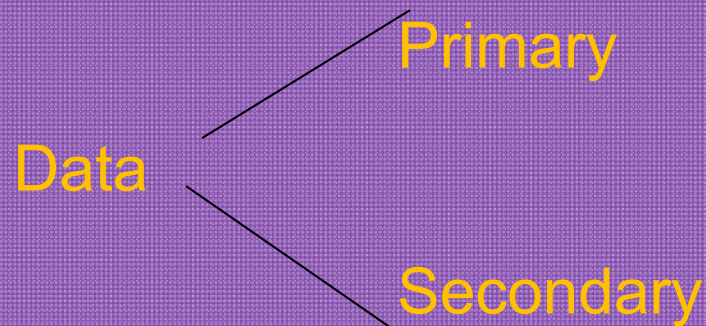
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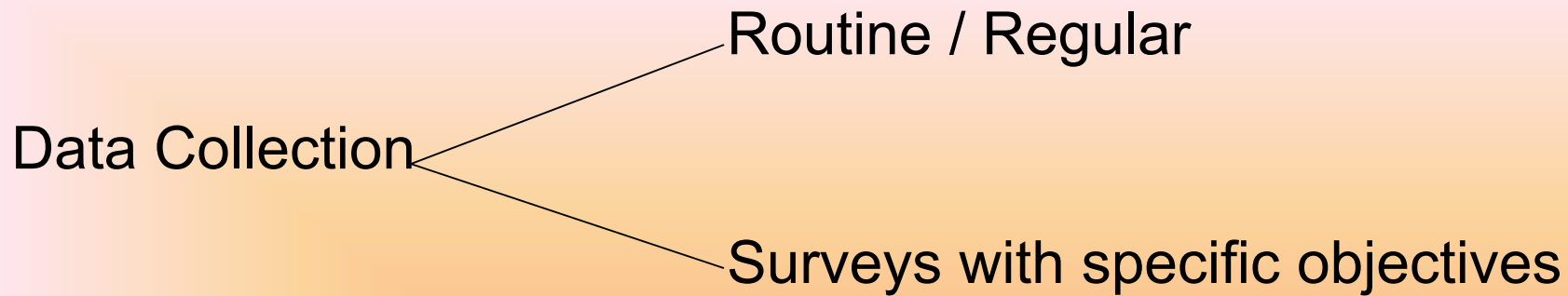
Definition Of Statistics:

Scientific study of methods dealing with collection, processing, reducing, presenting, analyzing, interpreting results, making inferences and drawing conclusions from data.

Mainly: Collection, description and analysis to draw conclusions.

Distrusts???

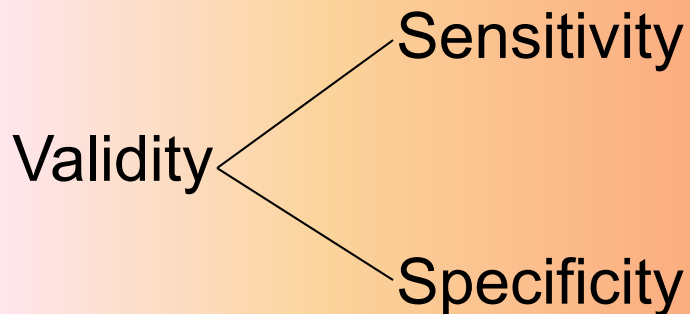


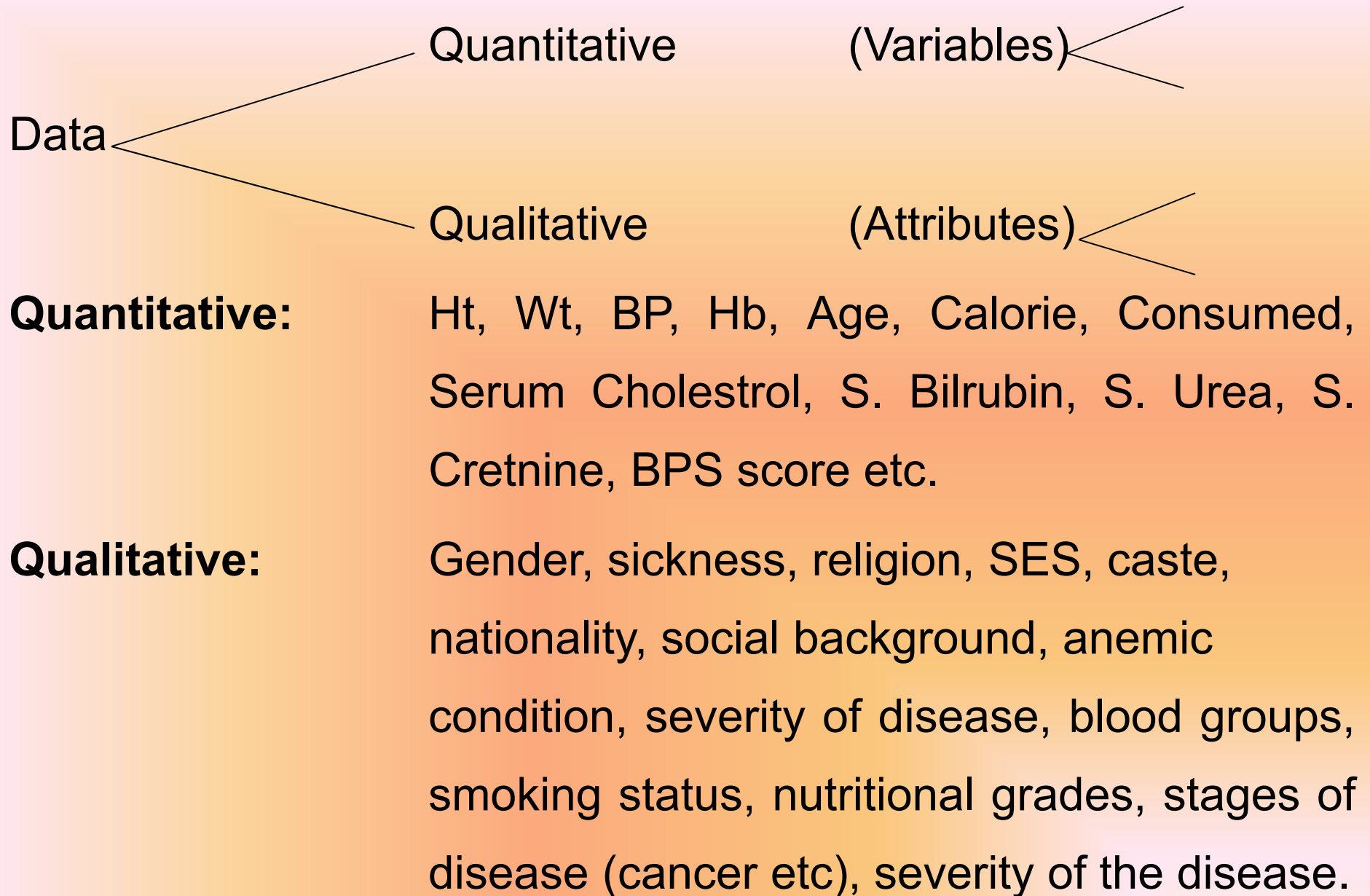


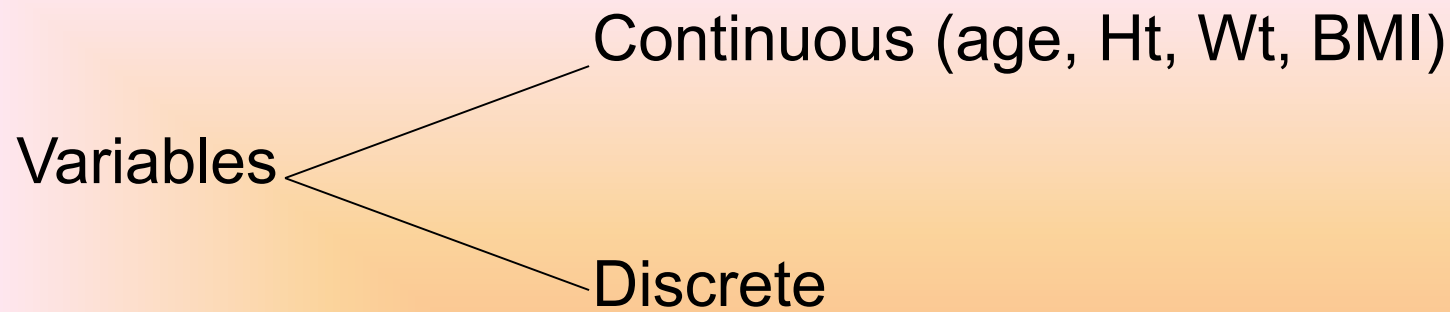
Quality of Data:

- Reliability (Consistency)
- Validity (indicative of the condition)

[Data should be capable to distinguish those having the condition from those not having]



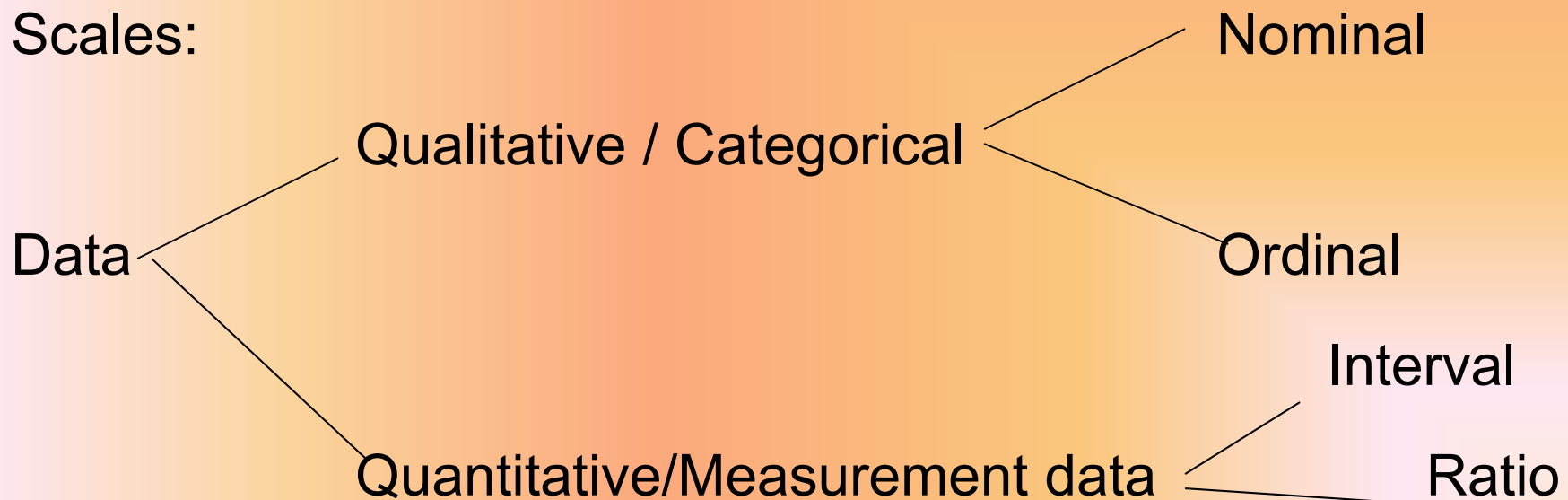




Parity, calorie, WBC/RBC, no. of HH, No. of family members, age in years.

BP (due to = limitations of Measurements)

Scales:



VARIABLES TYPES

1. **Categorical variables** (e.g., Sex, Marital Status, income category)
2. **Discrete variables** (e.g., Number of Children in a family)
3. **Continuous variables** (e.g., Age, income, weight, height, time to achieve an outcome)
4. **Binary or Dichotomous variables** (e.g., response to all Yes or No type of questions)

Same Variable : Different Scales

- The variable “Education” is only **Nominal** when measured by type of education, such as private or public
- It is **Ordinal** when measured by level of education such as high school, college or postgraduate
- It is **Interval** when measured by number of years i.e. 5, 10, 15 or 20 years of education.

Measures of Central Tendency:

- Definition
- Why called measures of central tendency?
- Different Measures:
 - Mean
 - Median
 - Mode

Calculations:

Mean:

$$\bar{X} = \frac{x_1 + x_2 + \text{-----} + x_n}{n}$$

$$= \frac{1}{n} \sum x$$

$$= \frac{\text{Sum of observations}}{\text{No. of observations}}$$

Calculations:

Discrete Classification:

Value: x_1 x_2 ----- x_n

Frequency: f_1 f_2 ----- f_n

$$\bar{X} = \frac{f_1x_1 + f_2x_2 + \text{-----} + f_nx_n}{f_1 + f_2 + \text{-----} + f_n}$$

$$= \frac{\sum fX}{N},$$

Median: Mid value in an arranged set of observations.

≡ Value which divides the distribution in two equal parts.

Steps: (I) Arrange observations in ascending or descending order.

(II) Find the middle value.

(a) When N is odd:

⇒ Only one middle value
ie $(N+1)$ the observation

2

Md = Size of $(N+1)$ the observation in arrange set of

2

observations eg: 2, 1, 11, 9, 10, \Rightarrow 1, 2, 9, 10, 11

(b) When N is Even: There will be two middle values.

$\frac{(N)}{2}$ th and $\frac{(N + 1)}{2}$ th observations

Average of these two middle observations:

eg. 2, 1, 11, 9, 10, 15

Arrange: 1, 2, 9, 10, 11, 15

$$Md = (9 + 10) / 2 = 9.5$$

Mode: The value occurring most frequently.

⇒ The value whose frequency is maximum.

Relationship between Mean, Md, Mode.

$$M_0 = 3 M_d - 2 \text{ Mean}$$

Calculation of Measures of Central Tendency from grouped data:

Mean: $\bar{x} = \frac{A + h \sum fu}{N}$

Where $A =$ Assumed Mean

$h =$ Width of class interval

$N =$ Total frequency

$f =$ Frequency of the class

$u =$ Working unit

Median:

$$Md = L + \frac{h}{f} \left(\frac{N}{2} - C \right)$$

L = Lower limit of Median class

h = Width of class interval

f = Frequency of median class

N = Total frequency

C = Cumulative frequency of the class just before Median Class.

Median Class: Class containing $\frac{N}{2}$ th observation.

Mode:

$$M_0 = \frac{L + h (f_1 - f_0)}{(2f_1 - f_0 - f_2)}$$

L = Lower limit of modal class

f_0 = Frequency just before modal class

f_1 = Frequency of modal class

f_2 = Frequency just after modal class

Modal Class: The Class having maximum frequency.

Short Cut Method:



| Protein Intake | f | Mid value (x) | $x - A$ | $u = \frac{x-A}{10}$ | fu |
|---------------------------|----|---------------|--|----------------------|----|
| 20 – 30 | 4 | 25 | -20 | -2 | -8 |
| 30 – 40 | 8 | 35 | -10 | -1 | -8 |
| 40 – 50 | 12 | 45 | 0 | 0 | 0 |
| 50 – 60 | 18 | 55 | 10 | 1 | 18 |
| 60 – 70 | 5 | 65 | 20 | 2 | 10 |
| 70 – 80 | 3 | 75 | 30 | 3 | 9 |
| <hr/> N = 40 <hr/> | | | <hr/> $\sum fu = 21$ <hr/> | | |

Mean:

$$\bar{x} = \frac{A + h \sum fu}{N}$$

$$= \frac{45 + 10 \times 21}{40}$$

$$= 45 + 4.2$$

$$= 49.2$$

Ex.

**Protein Intake
(gm/day)**

**No. of
Individuals**

Mid value

f . x

f

x

20 – 30

4

25

100

30 – 40

8

35

280

40 – 50

12

45

540

50 – 60

18

55

990

60 – 70

5

65

325

70 – 80

3

75

225

$\sum f = N = 40$

$\sum f.x = 2460$

Mean

\bar{x}

=

$\frac{\sum fx}{N}$

N

Mean Protein Intake (gm/day)

=

$\frac{2460}{40} = 49.2$

Calculation of Median:

| Protein Intake (gm/day) | No. of Individuals f | Cumulative x |
|----------------------------|-------------------------|-----------------|
| 20 – 30 | 4 | 4 |
| 30 – 40 | 8 | 12 |
| 40 – 50 | 12 | 24 |
| → 50 – 60 | 18 | 42 ← |
| 60 – 70 | 5 | 47 |
| 70 – 80 | 3 | 50 |

$$\text{Median} = L + \frac{h}{f} \left(\frac{N - C}{2} \right)$$

$$L = 50 \quad \text{as } N = 25$$

$$h = 10 \quad \frac{2}{2}$$

$$f = 18$$

$$C = 24$$

$$\text{Median} = 50 + \frac{10}{18} (25 - 24)$$

$$= 50 + \frac{10}{18} = \text{-----}$$

Calculation of Mode:

$$\text{Mode} = \frac{L + h (f_1 - f_0)}{(2f_1 - f_0 - f_2)}$$

$$h = 10, \quad f_0 = 12$$

$$f_1 = 18$$

$$f_2 = 5$$

$$M_0 = \frac{50 + 10 (18 - 12)}{(2 \times 18 - 12 - 5)}$$

$$= \frac{50 + 10 \times 6}{19}$$

Measures of Dispersion or Measures of Variability

- Meaning
- Need:
 - Comparison
 - Reliability of Measures of CT.

eg. $\rightarrow 7, 8, 9, 10, 11$
 $\rightarrow 3, 6, 9, 12, 15$
 $\rightarrow 1, 5, 9, 13, 17$ } $\bar{x} = 9$

- Separation of normal & Abn.
- Finding SE of estimates
- Probable Ranges / CI
- Tests of Significance

Different Measures of Variability:

- Range
- Inter-quartile Range
- Mean Deviation
- Standard Deviation
- Coefficient of Variation (CV)

$$(1) \quad \text{Range} = x_{\max} - x_{\min}$$

$$(2) \quad \text{Quartile Deviation or Inter-quartile Range} \\ = Q_3 - Q_1$$

$$(3) \quad \text{Mean Deviation (MD)}$$

$$\text{MD} = \frac{\sum f|x - \text{MI}}{N}$$

$$(4) \quad \text{Standard Deviation (SD)}$$

$$\text{SD} = \sqrt{\frac{\sum (x - \bar{x})^2}{N}}$$

Short-cut formula (grouped data)

$$\text{SD} = h \sqrt{\frac{\sum fu^2}{N} - \left(\frac{\sum fu}{N}\right)^2}$$

Ex.

| BCG Vaccine ↓ | TB | | Total |
|------------------|-----------|-----------|-----------|
| | Yes | No | |
| Yes | 6 | 12 | 18 |
| No | 8 | 3 | 11 |
| Total | 14 | 15 | 29 |

Coefficient of Assoc.

$$\begin{aligned}
 Q &= \frac{6 \times 3 - 8 \times 12}{6 \times 3 + 8 \times 12} \\
 &= \frac{18 - 96}{18 + 96} = \frac{- 78}{114} \\
 &= \text{-----}
 \end{aligned}$$



THANKS